

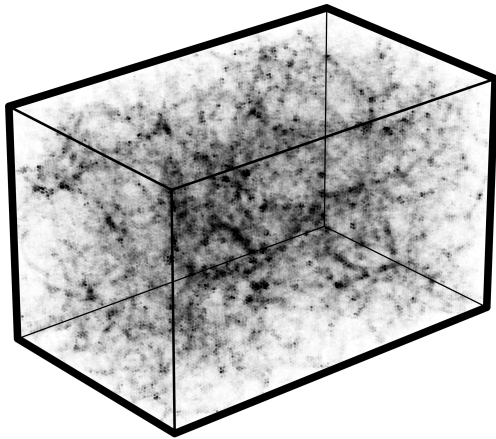
Probing the faint universe with line intensity mapping and CMB lensing

Delon Shen

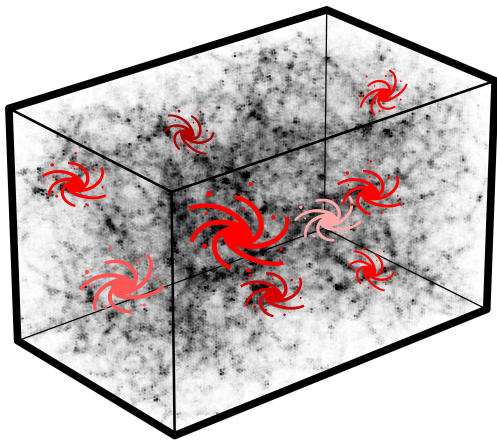
KIPAC Tea — August 12, 2025

arxiv:2507.17752 with Nick Kokron and Manu Schaan

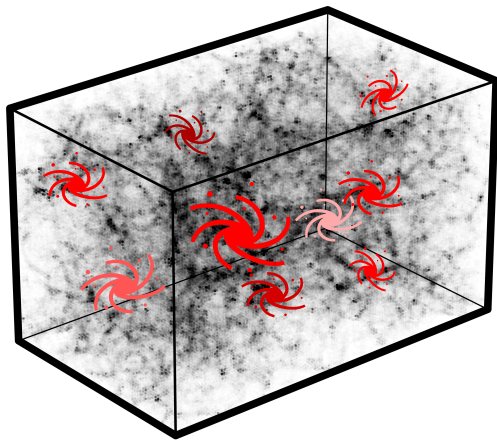
Dark Matter



Galaxies trace Dark Matter



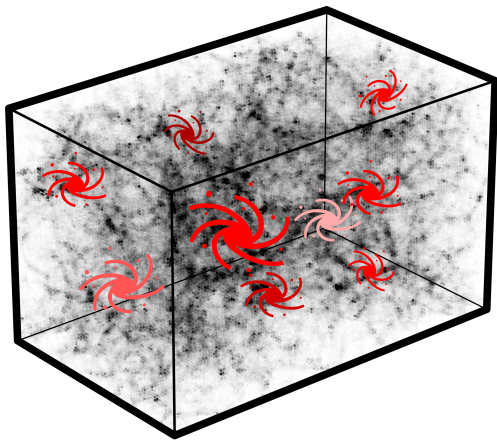
Galaxies trace Dark Matter



~~Faint Galaxies~~

(Hard to find but informative)

Galaxies trace Dark Matter



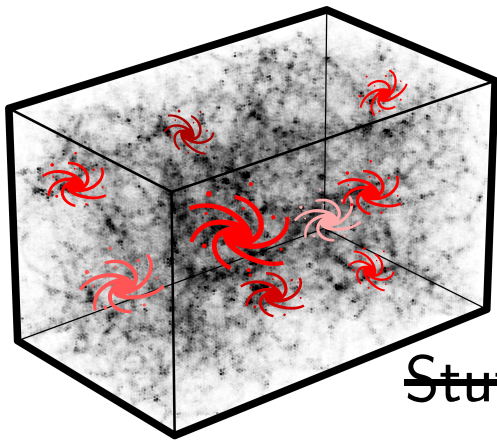
~~Faint Galaxies~~

(Hard to find but informative)

~~High-redshift~~

(Not many galaxies have formed yet)

Galaxies trace Dark Matter



~~Faint Galaxies~~

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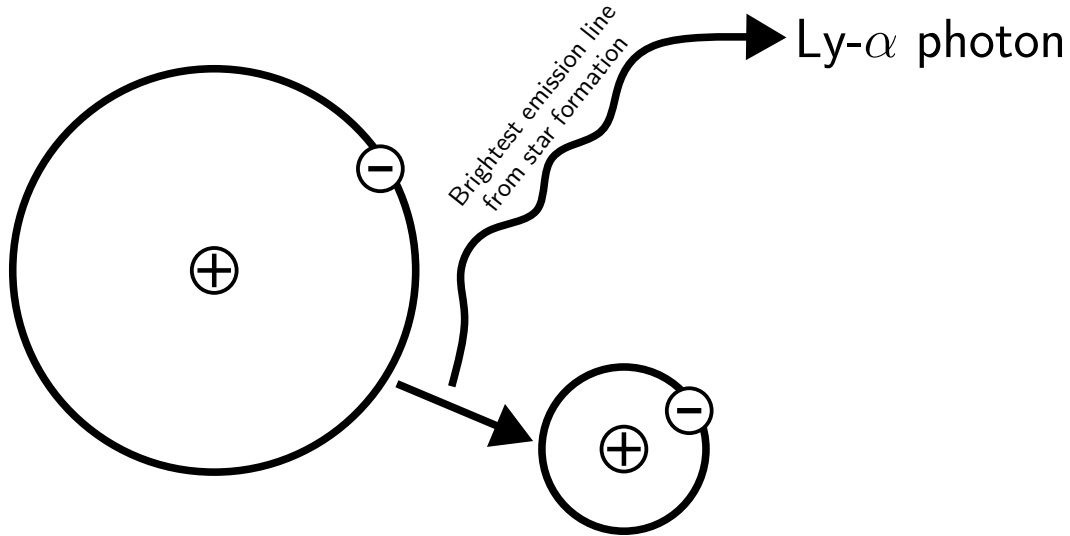
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(Not many galaxies have formed yet)

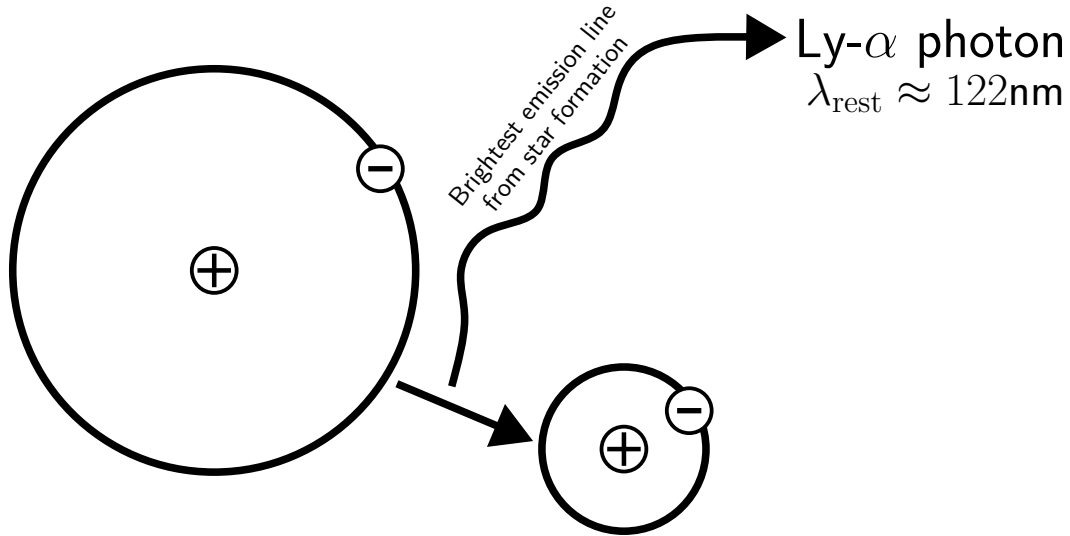
~~Stuff outside of galaxies~~

(Where most of the matter resides)

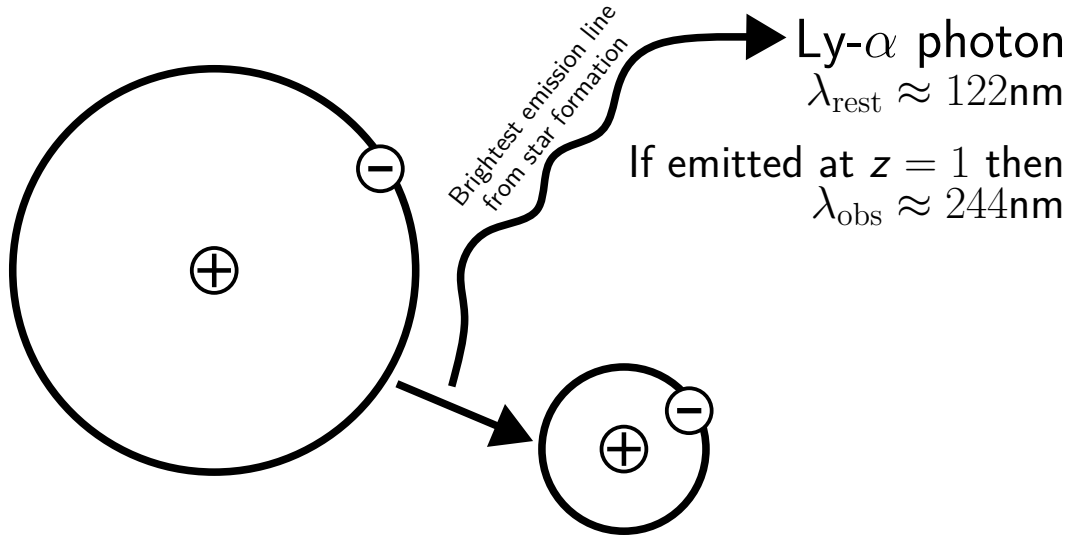
Another way to map the universe?



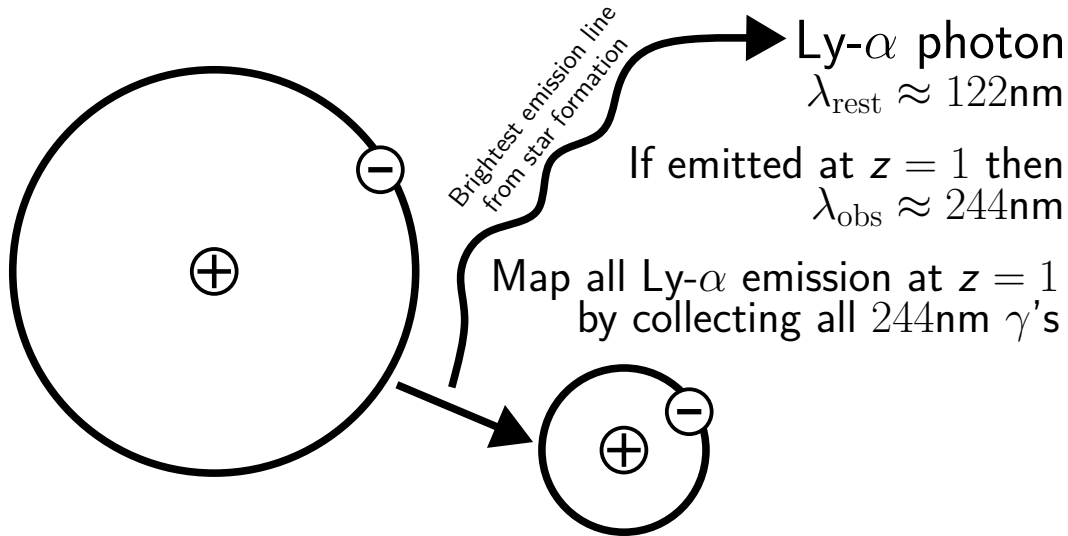
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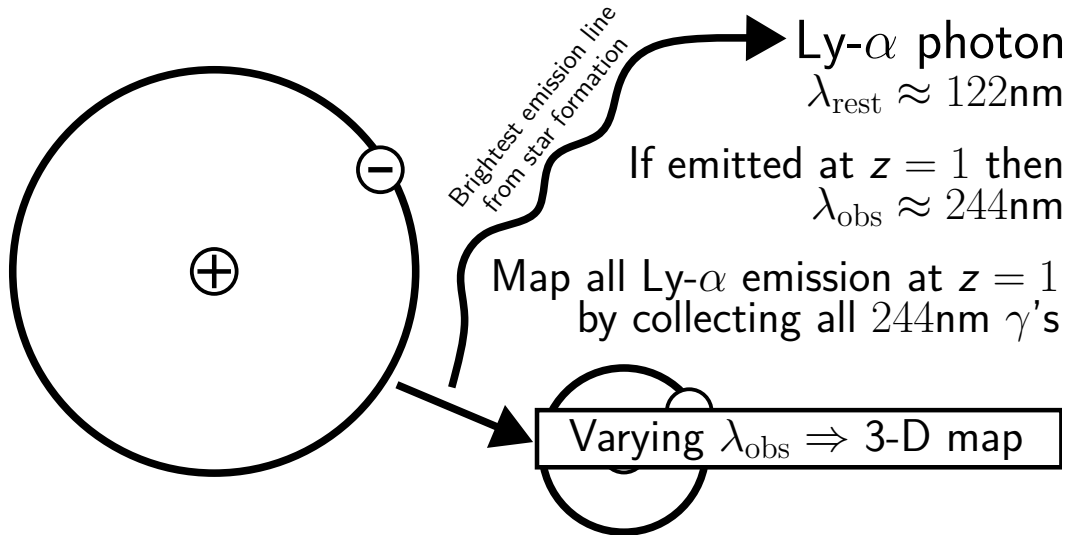
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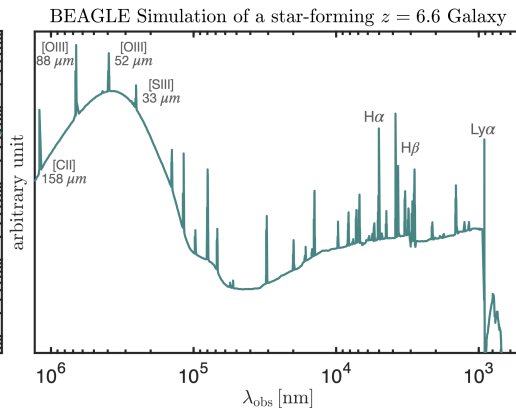
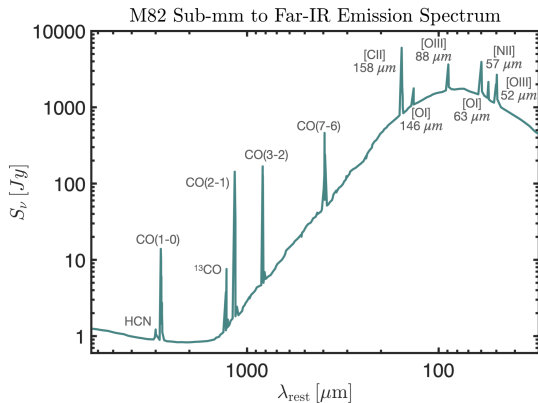
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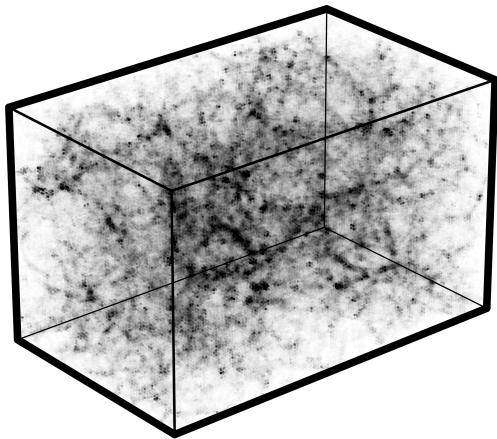
Another way to map the universe?



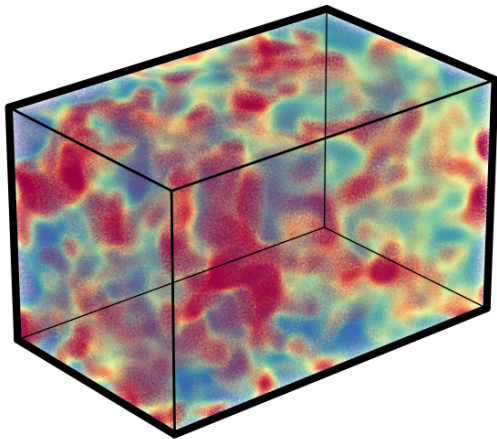
Many lines to choose from



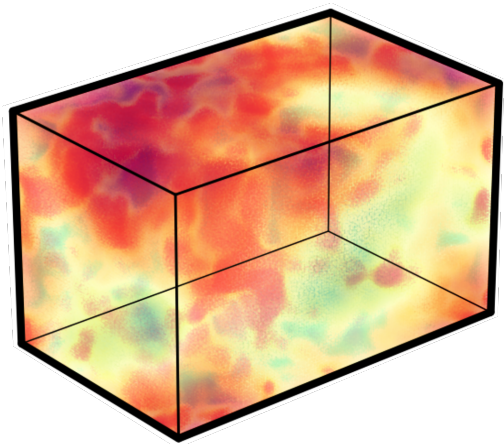
Dark Matter



Line Intensity Map traces Dark Matter



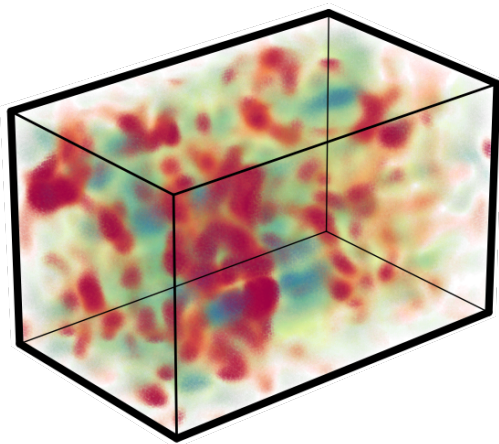
Line Intensity Map traces Dark Matter



**Contaminated by
Galactic foregrounds**

Spectrally smooth and bright
free-free and synchrotron emission

Line Intensity Map traces Dark Matter



**Contaminated by
Galactic foregrounds**

Spectrally smooth and bright
free-free and synchrotron emission



**(High-pass) filter out
smoothly varying modes**

Removes Galactic foregrounds and
some cosmological line emission

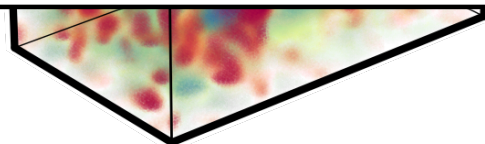
Line Intensity Map traces Dark Matter



Contaminated by
Galactic foregrounds

Currently in **path-finder** era of LIM experiments

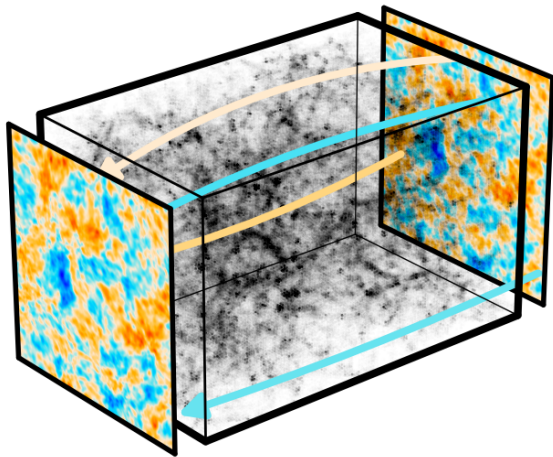
Detection of cosmological line emission
likely must come from **cross-correlation**



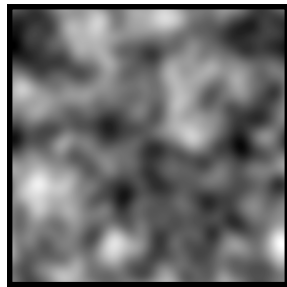
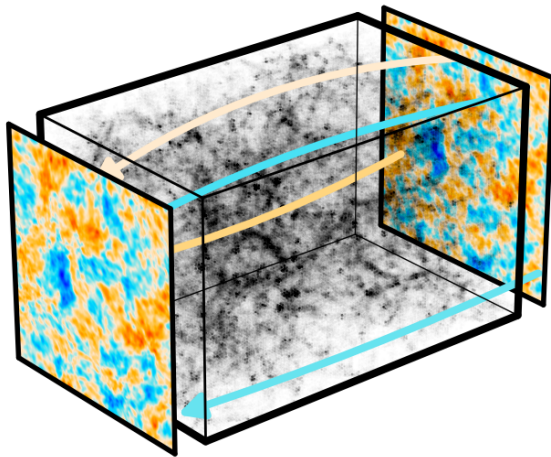
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CMB photons lensed by Dark Matter

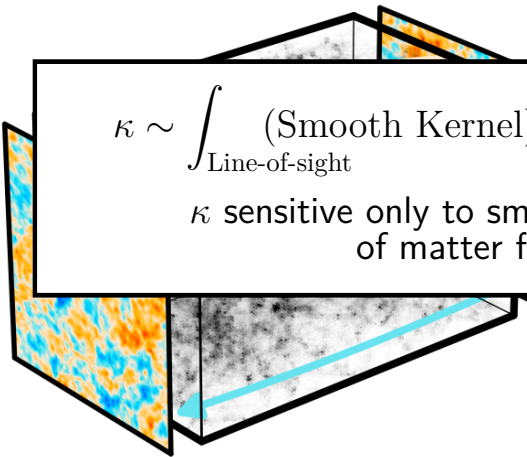


CMB photons lensed by Dark Matter



Reconstruct projection of
matter fluctuations κ

CMB photons lensed by Dark Matter



The diagram illustrates the process of CMB photon lensing. It features a 3D perspective of a rectangular prism. The front face is a color map representing CMB temperature fluctuations, with a blue-to-yellow color scale. The top and right faces are grayscale maps representing dark matter density fluctuations. A light blue line is drawn on the front face, representing the line of sight from the observer to the CMB. A black rectangular box is positioned to the right of the prism, representing the reconstructed projection of matter fluctuations.

$$\kappa \sim \int_{\text{Line-of-sight}} (\text{Smooth Kernel}) \times (\text{Matter Fluctuations})$$

κ sensitive only to smoothly varying modes
of matter fluctuations

Reconstruct projection of
matter fluctuations κ

LIM removes smoothly varying modes

LIM removes smoothly varying modes
CMB lensing . . . only smoothly varying modes

LIM removes smoothly varying modes
CMB lensing . . . only smoothly varying modes

**Symmetries of the universe make this
lack of overlap potentially problematic**

Symmetries of background universe

Isotropic and Homogeneous

$$\rho_m(\mathbf{x}) = \bar{\rho}_m$$

Symmetries of background universe

Isotropic and Homogeneous

$$\rho_m(\mathbf{x}) = \bar{\rho}_m \Rightarrow \tilde{\rho}_m(\mathbf{k}) \sim \text{Dirac Delta}(\mathbf{k})$$

Symmetries of background universe

Isotropic and Homogeneous

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$$\tilde{\rho}_m(\mathbf{k})\tilde{\rho}_m(\mathbf{k}') = 0 \text{ unless } \mathbf{k} = \mathbf{k}'$$

Symmetries of **fluctuating** universe

Statistically Isotropic and Homogeneous

$$\rho_m(\mathbf{x}) = \bar{\rho}_m(1 + \delta_m(\mathbf{x})) \text{ (statistical field)}$$

Symmetries of **fluctuating** universe

Statistically Isotropic and Homogeneous

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Short-wavelength
and Long-wavelength
matter fluctuations
are uncorrelated

Line Intensity Mapping

Loses *long-wavelength* fluctuations
because of Galactic foregrounds

Line Intensity Mapping

Loses *long-wavelength* fluctuations
because of Galactic foregrounds

CMB lensing

Loses *short-wavelength* fluctuations
because of the projection kernel

Line Intensity Mapping

Loses longitudinal information

Claim by previous works:
Direct correlation of
LIM with CMB lensing
is **hopeless**

Fluctuations
of the projection kernel

Line Intensity Modulation

Loses long-range

Claim by previous works:

Direct correlation of
LIM with

Any projected field

is **hopeless**

fluctuations
of the projection kernel

Line Intensity Modulation

Loses longitudinal

Claim by ~~previous works~~ ^{US} ~~previous works~~:
Direct correlation of

LIM with Any projected field
is ~~hopeless~~

~~both fine and promising~~
of the projection kernel

Short and long wavelength **matter
fluctuations** are uncorrelated

Short and long wavelength **matter
fluctuations** are uncorrelated

Remove long-wavelength fluctuations from LIM



Remove long-wavelength matter fluctuations?

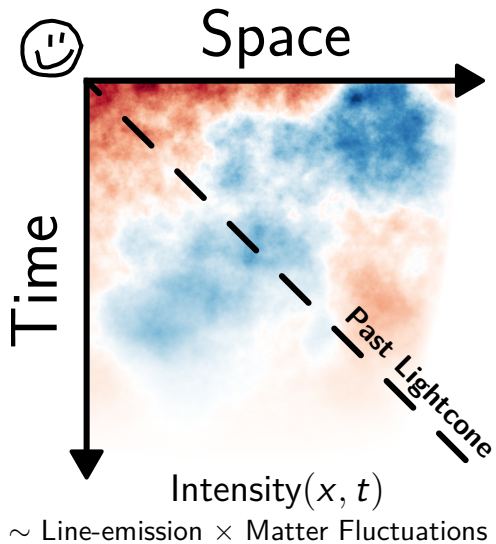
Short and long wavelength **matter fluctuations** are uncorrelated

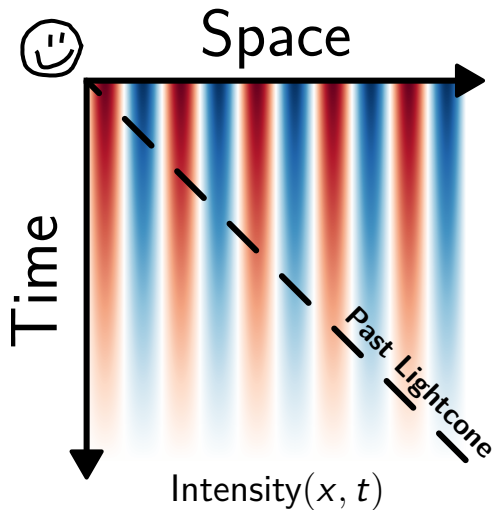
Remove long-wavelength fluctuations from LIM



Remove long-wavelength matter fluctuations?

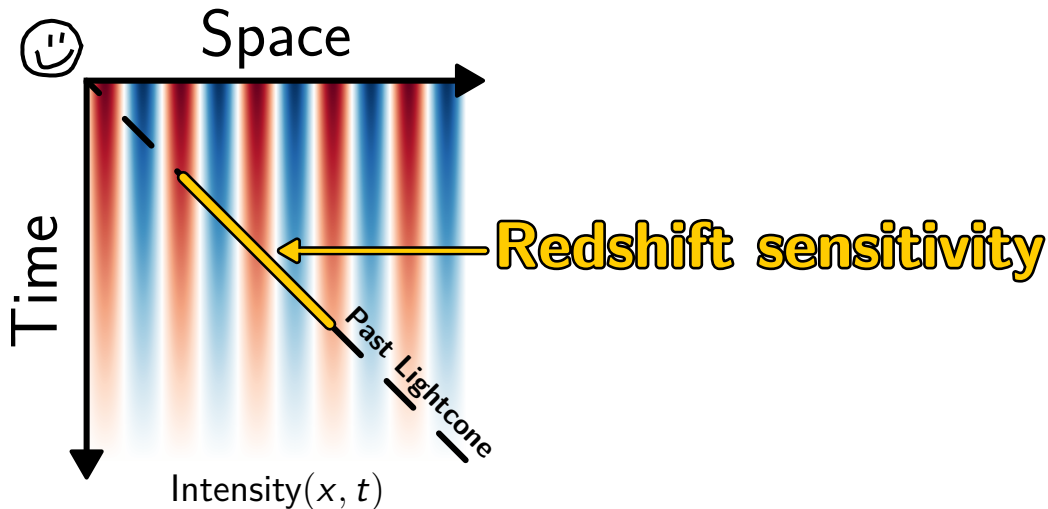
No, observations restricted to past lightcone





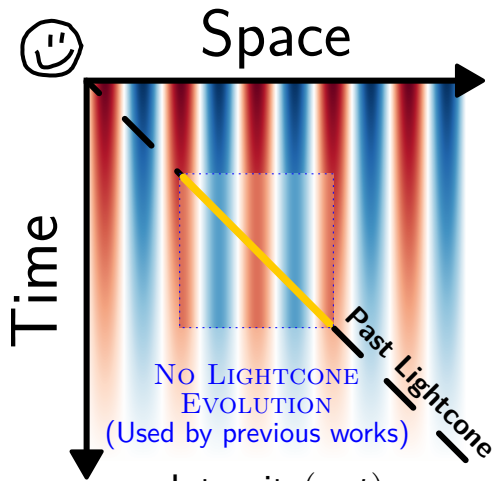
$\sim \text{Line-emission} \times \text{Matter Fluctuations}$

$\sim t \times \sin(x)$



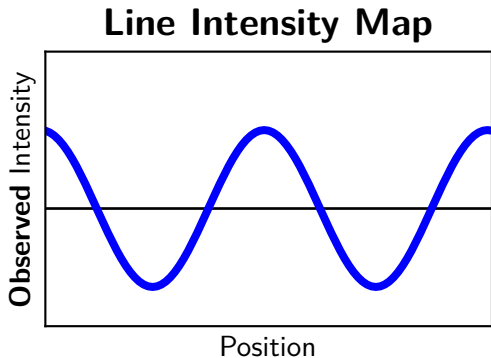
\sim Line-emission \times Matter Fluctuations

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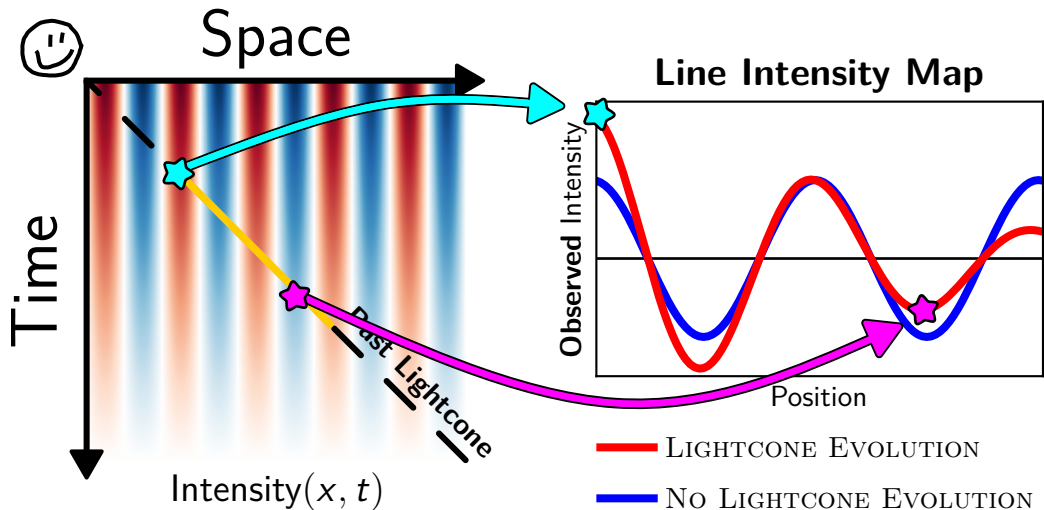


\sim Line-emission \times Matter Fluctuations

$\sim t \times \sin(x) \xrightarrow{\text{NO LIGHTCONE EVOL.}} \bar{t} \sin(x)$

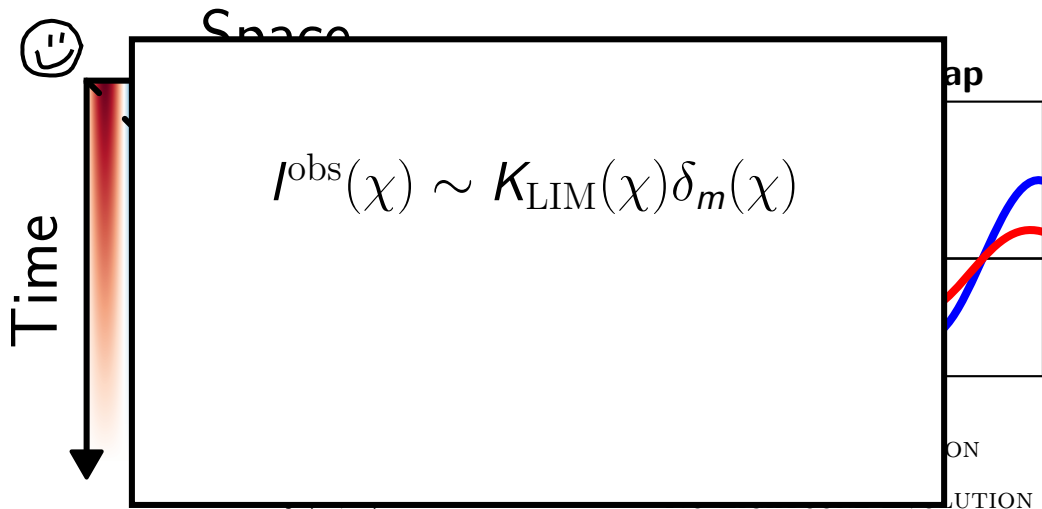


— NO LIGHTCONE EVOLUTION



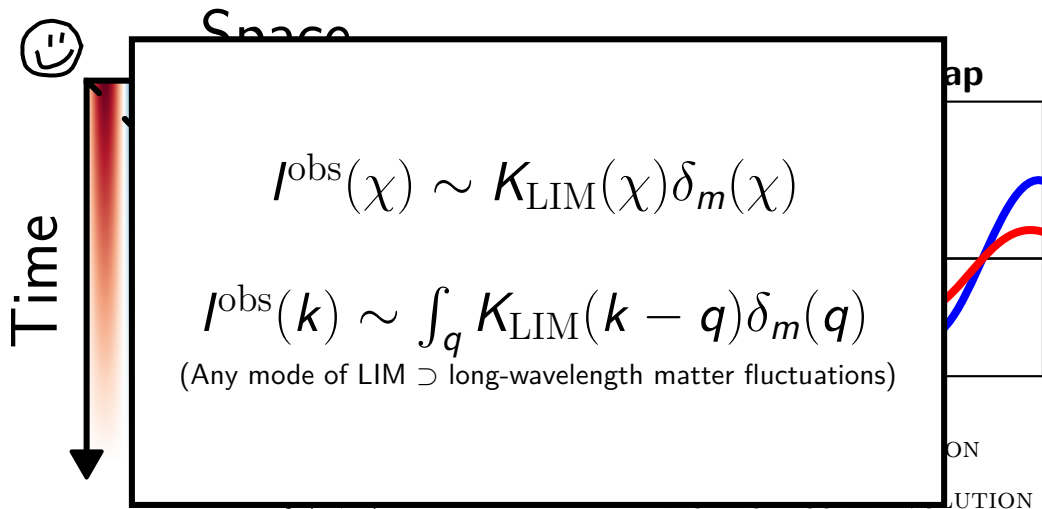
$\sim \text{Line-emission} \times \text{Matter Fluctuations}$

$\sim t \times \sin(x)$



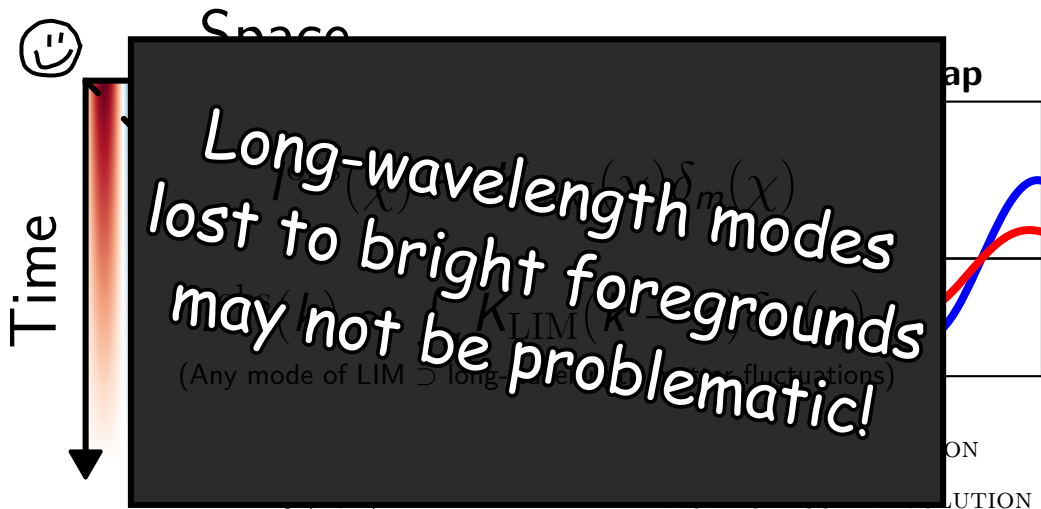
~ Line-emission \times Matter Fluctuations

~ $t \times \sin(x)$



\sim Line-emission \times Matter Fluctuations

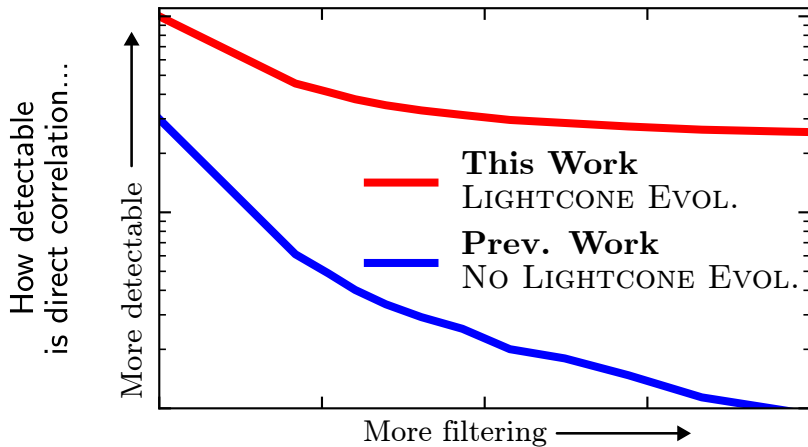
$\sim t \times \sin(x)$



$\sim \text{Line-emission} \times \text{Matter Fluctuations}$

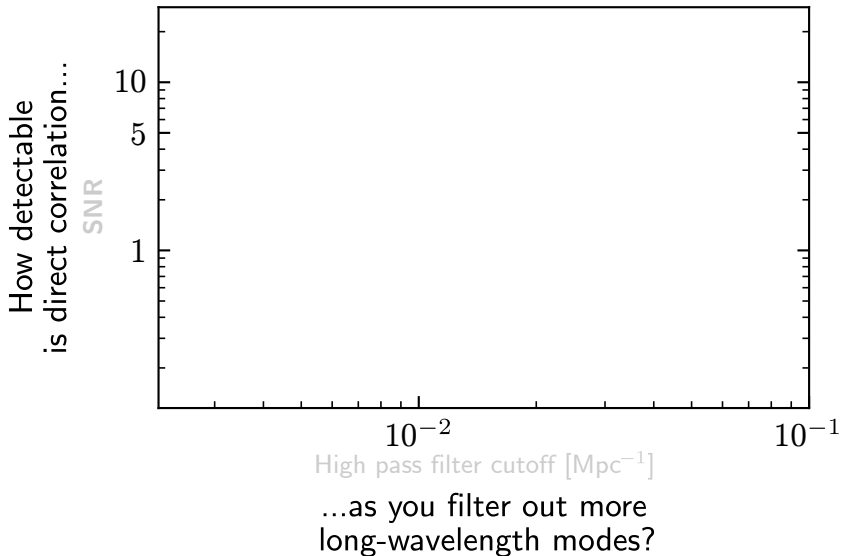
$\sim t \times \sin(x)$

Detectability in Toy Model

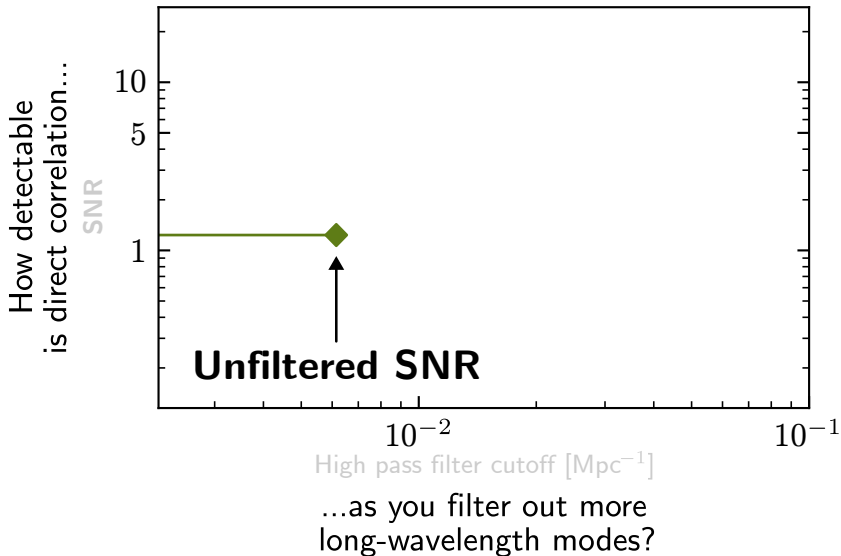


...as you filter out more
long-wavelength modes?

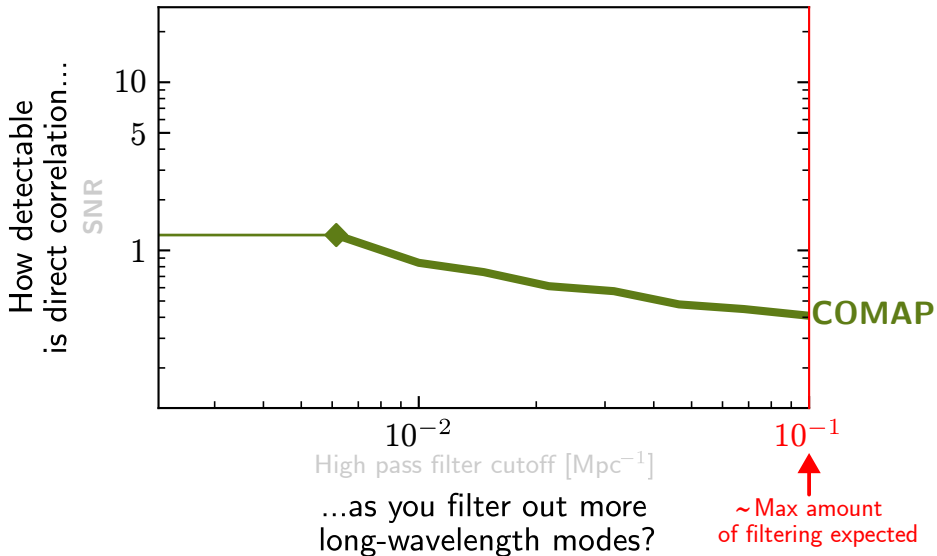
Detectability of $\langle \text{LIM} \times \text{CMB Lensing} \rangle$



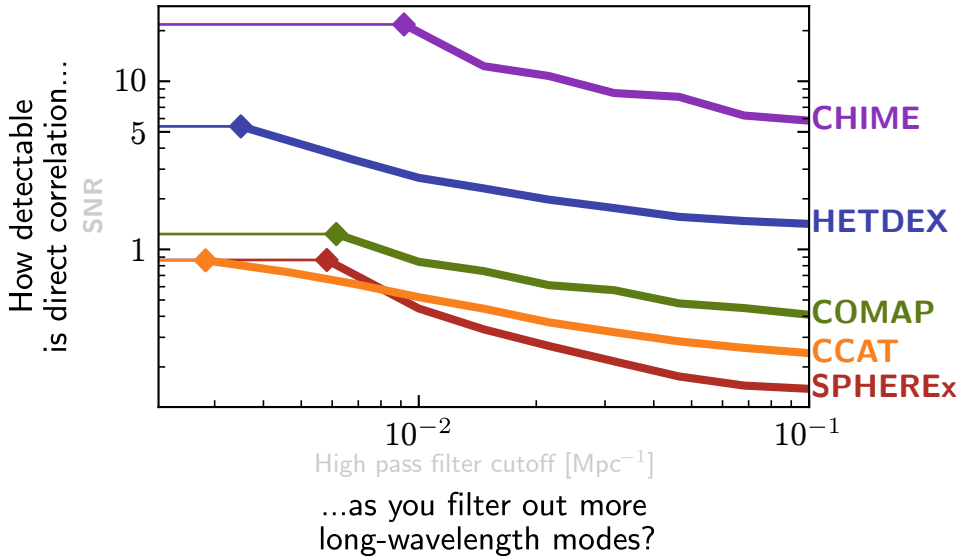
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Detectability of $\langle \text{LIM} \times \text{CMB Lensing} \rangle$



Detectability of $\langle \text{LIM} \times \text{CMB Lensing} \rangle$



Detectability of $\langle \text{LIM} \times \text{CMB Lensing} \rangle$



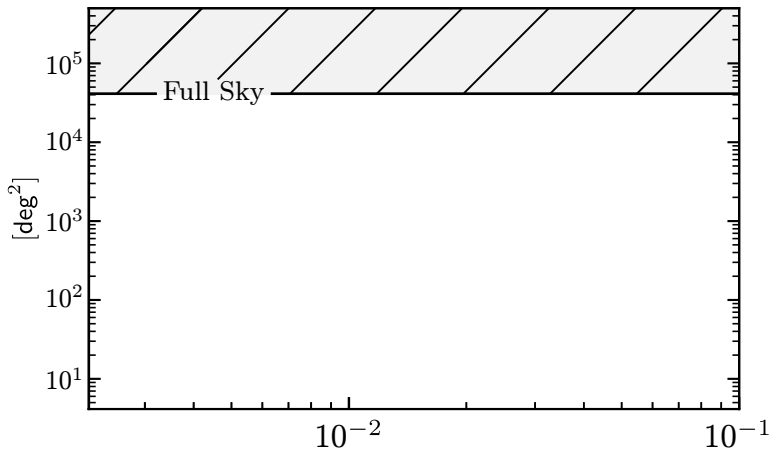
Next steps for
pathfinder experiments:
More sky area

High pass filter cutoff [Mpc^{-1}]

...as you filter out more
long-wavelength modes?

Sky area to detect $\langle \text{LIM} \times \text{CMB Lensing} \rangle$

How much sky area needed
to detect direct correlation...

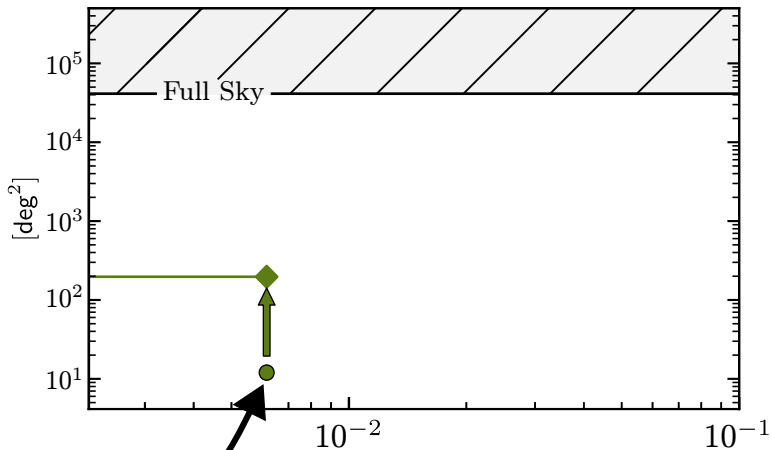


High pass filter cutoff [Mpc^{-1}]

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Sky area to detect $\langle \text{LIM} \times \text{CMB Lensing} \rangle$

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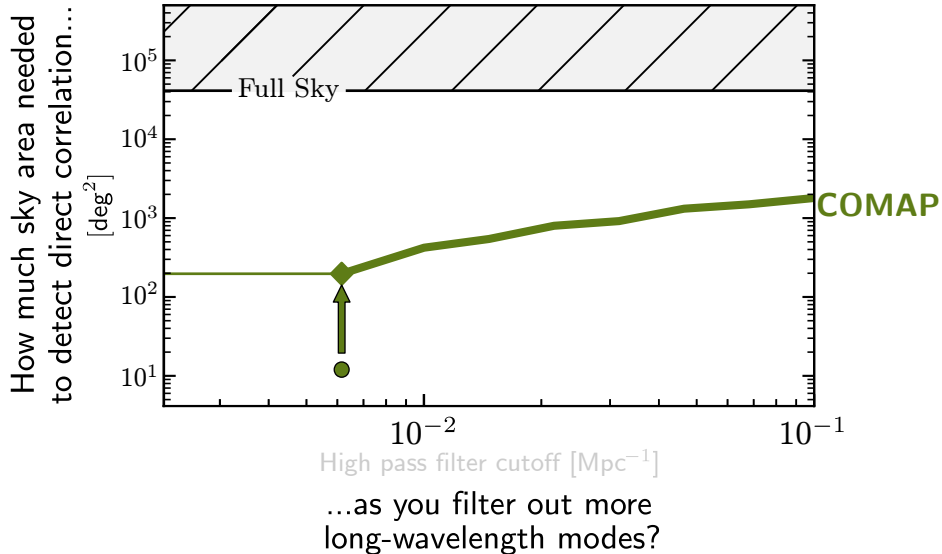


Fiducial sky area

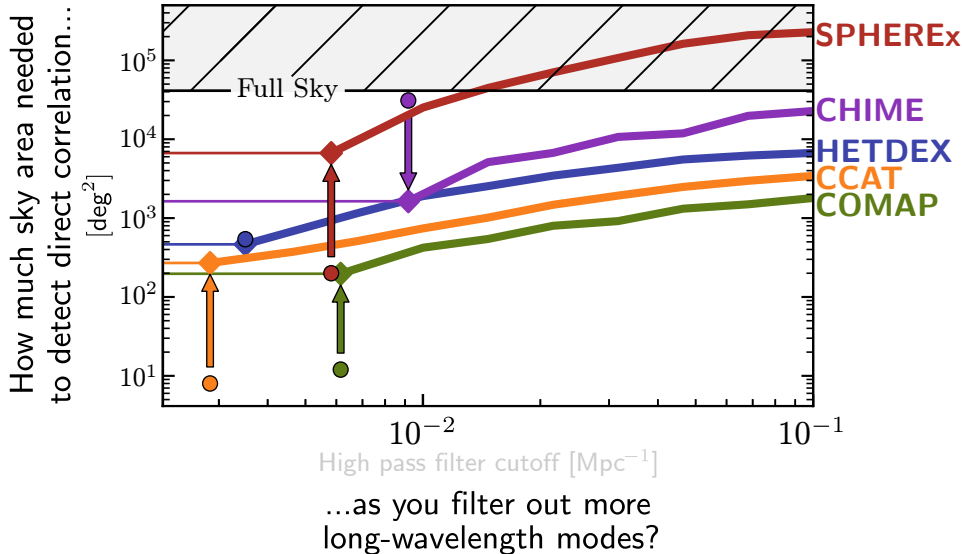
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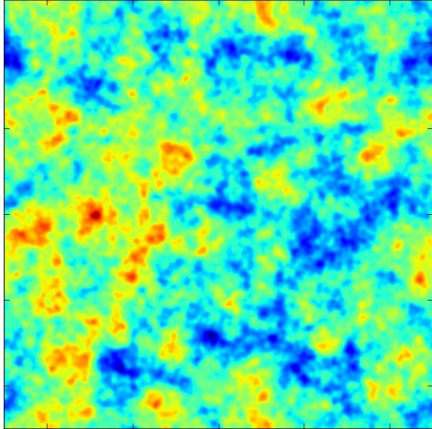
Conclusion

1. Evolution along the lightcone enables LIM to be directly correlated with CMB lensing despite bright foregrounds.
 - ◇ We predict this direct correlation will be precisely measured by future LIM experiments like wider-sky versions of COMAP, CCAT, and HETDEX.
 - ◇ We also infer, based on conservative calculations for CHIME, that future 21cm experiments will also be able to precisely measure this direct correlation.
2. More generally, bright foregrounds do not kill
$$\langle \text{LIM} \times [\text{your favorite projected field}] \rangle,$$
reviving a lot of LIM science previously assumed hopeless.

Extra

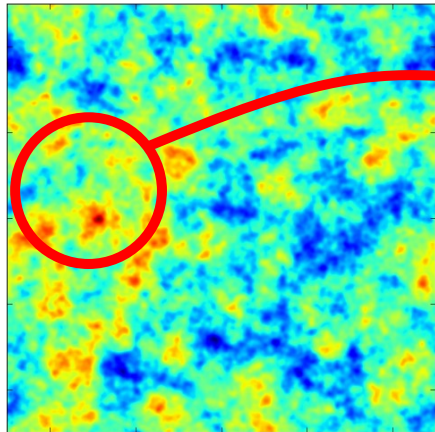
We can estimate lensing potential since
lensing breaks symmetry of CMB

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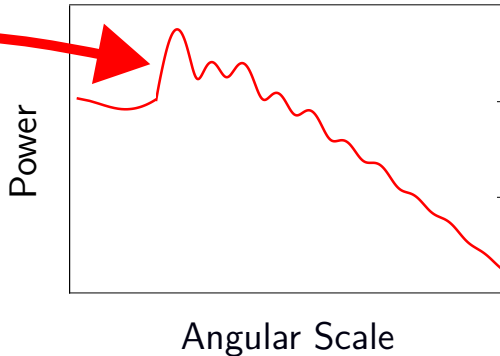


Unlensed CMB: **Statistically Homogeneous**

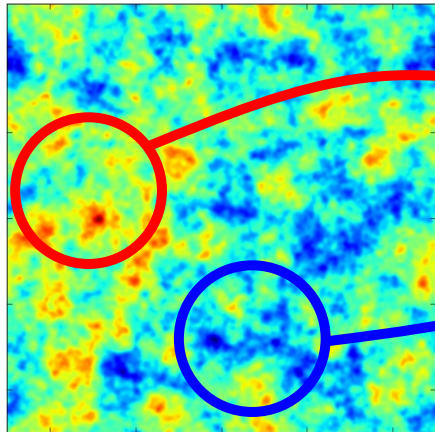
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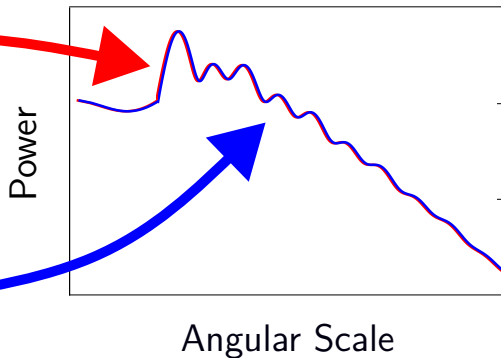
Unlensed CMB: **Statistically Homogeneous**



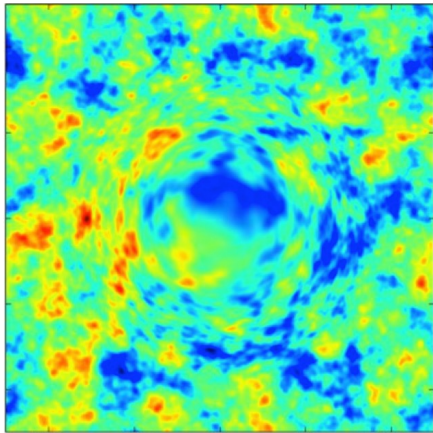
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Unlensed CMB: **Statistically Homogeneous**



We can estimate lensing potential since
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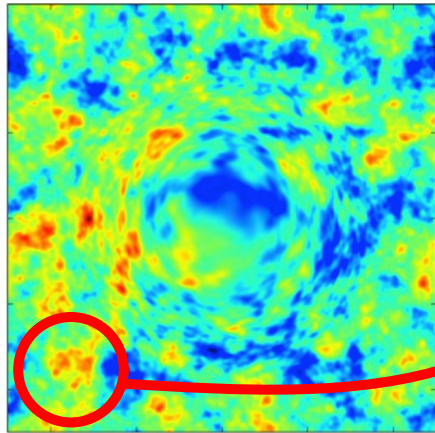
Lensed CMB: ~~Statistically Homogeneous~~

Power

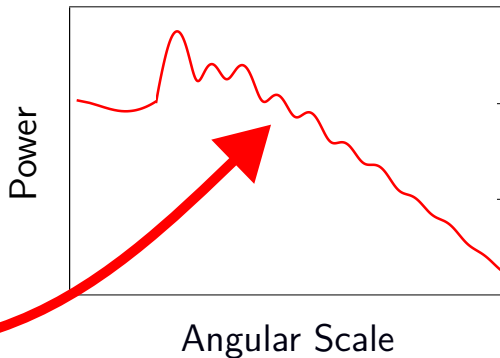


Angular Scale

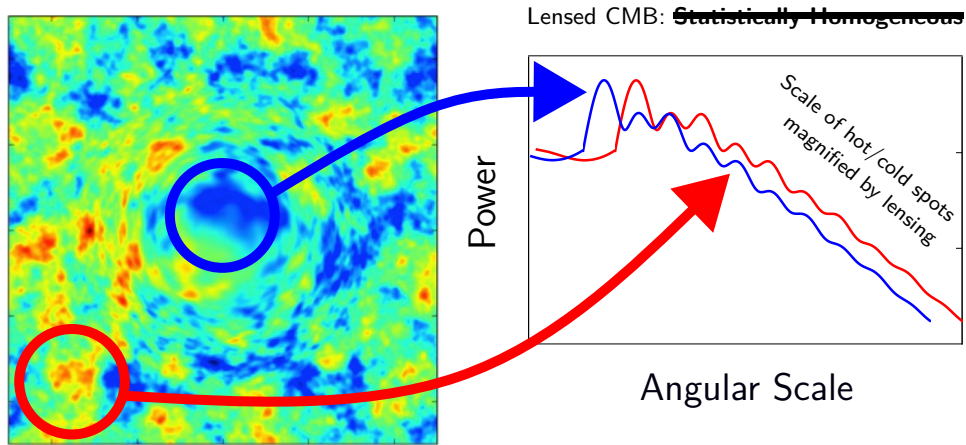
We can estimate lensing potential since
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Lensed CMB: ~~Statistically Homogeneous~~



We can estimate lensing potential since
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For a statistically **homogeneous** field like the unlensed CMB different Fourier modes are statistically independent:

$$\langle T_{\ell}^{\text{unlensed}} T_{\mathbf{L}-\ell}^{\text{unlensed}} \rangle = 0$$

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Lensing of the CMB breaks this symmetry by inducing correlations in our lensed CMB:

$$\langle T_{\ell} T_{\mathbf{L}-\ell} \rangle \sim \kappa_{\mathbf{L}}$$

$$(\kappa \equiv -\nabla^2(\text{Lensing Potential})/2)$$

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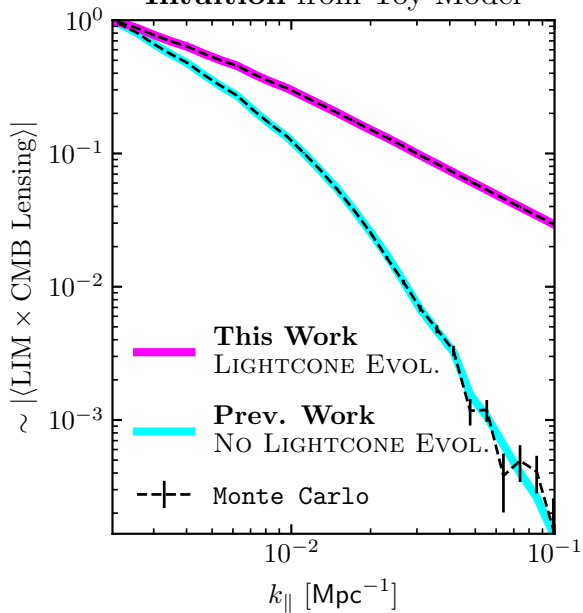
$$(\kappa \equiv -\nabla^2(\text{Lensing Potential})/2)$$

So correlations that we do see in our map give us information about the lensing allowing us to build an **quadratic estimator** (QE) of κ out of these correlations.

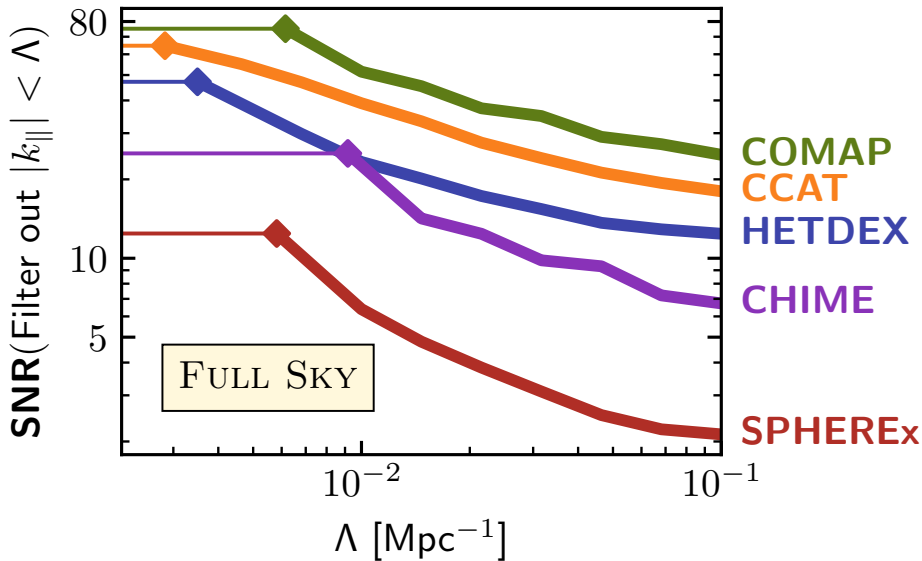
$$\hat{\kappa}_L \sim \int_{\ell} T_{\ell} T_{L-\ell}$$

Experiment Line	CHIME HI(21cm)	HETDEX Ly- α	COMAP CO(1 \rightarrow 0)	CCAT [CII]	SPHEREx Ly- α
ν_{rest}	1420.406 MHz	2456.43 THz	115.27 GHz	1900.5 GHz	2456.43 THz
ν_{obs}	617-710 MHz	545-857 THz	26-34 GHz	210-420 GHz	270-400 THz
z_{obs}	1.0 - 1.3	1.9 - 3.5	2.4 - 3.4	3.5 - 8.1	5.2 - 8
\mathcal{R}	1700	800	800	100	41
$\Omega_{\text{field}} [\text{deg}^2]$	31000	540	12	8	200
$\sqrt{\Omega_{\text{pixel}}}$	40'	3''	4.5'/ $\sqrt{8 \ln 2}$	30''/ $\sqrt{8 \ln 2}$	6''

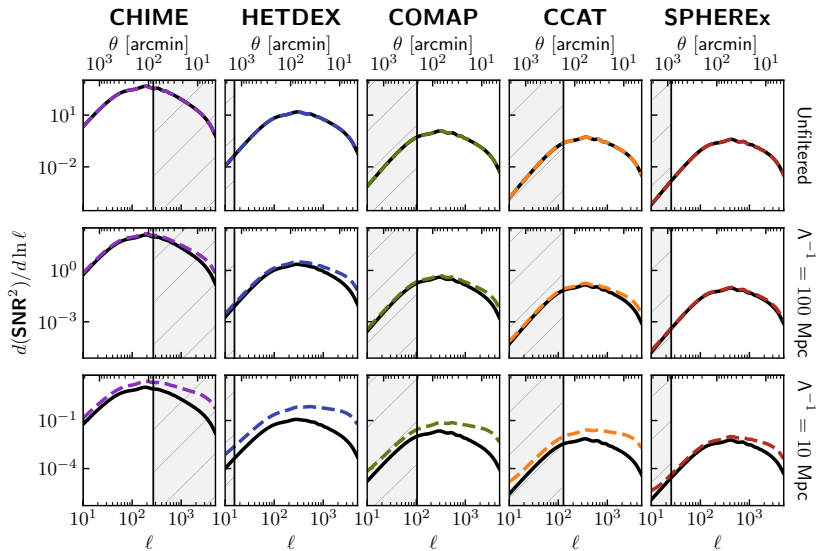
Intuition from Toy Model



Detectability of $\langle \text{LIM} \times \text{CMB Lensing} \rangle$

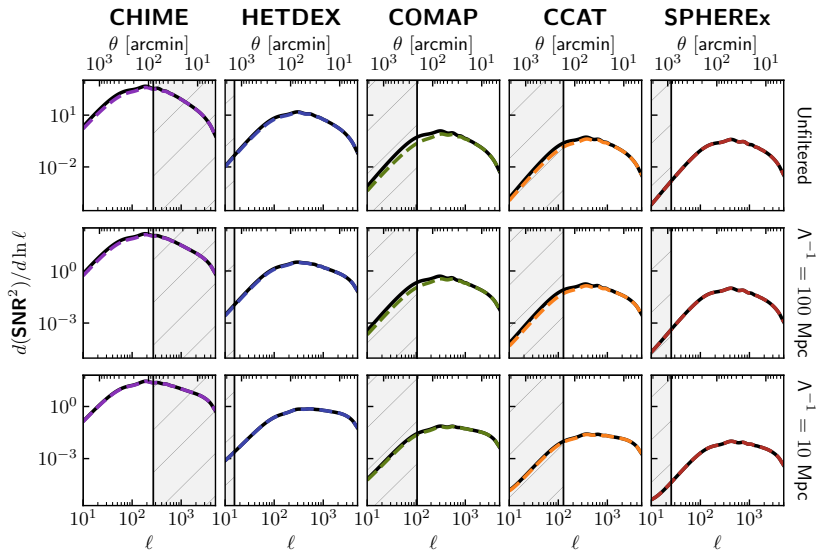


Limber vs. Our Approximation Effect on Angular Distribution of SNR



— Limber Approximation - - - Our Approximation Inaccessible

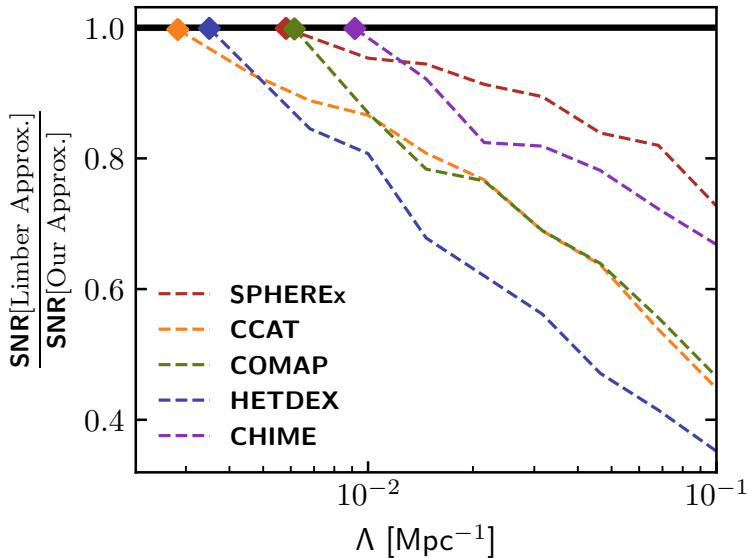
Noise Dominated vs. Full Covariance Effect on Angular Distribution of SNR



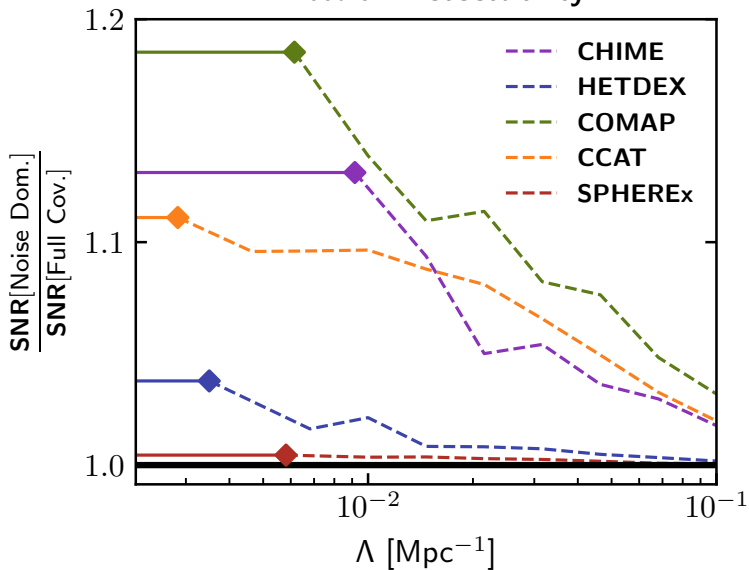
— Noise Dominated Approximation - - - Full Covariance  Inaccessible

Limber vs. Our Approximation

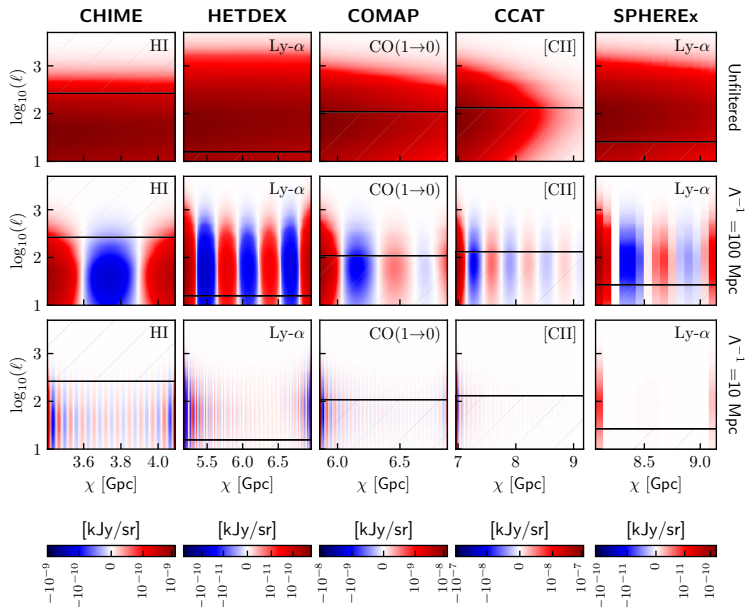
Effect on Detectability



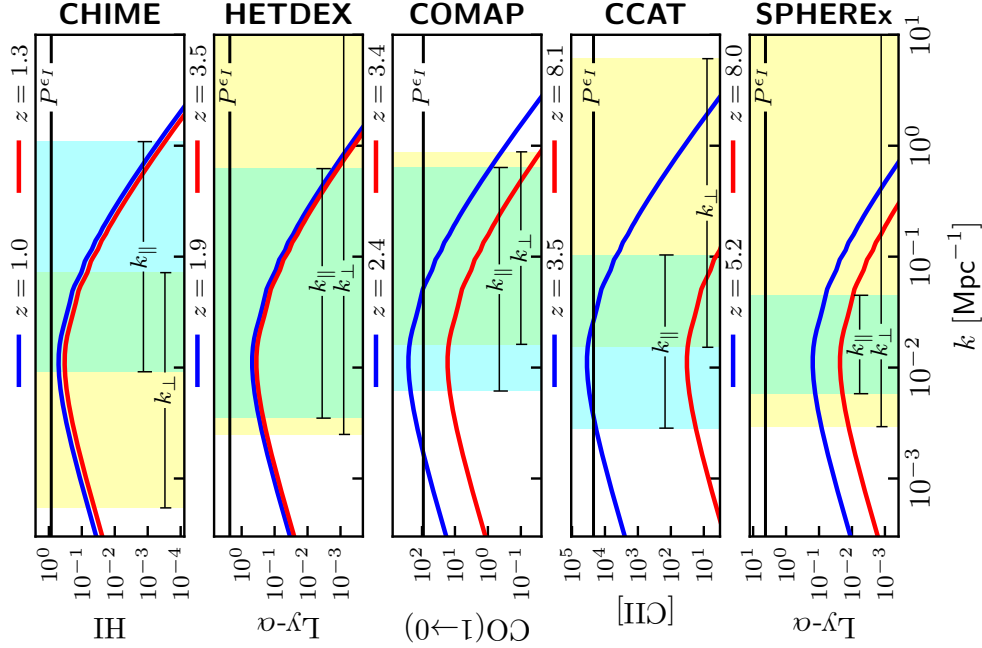
Noise Dominated vs. Full Covariance Effect on Detectability



⟨Foreground Filtered LIM × CMB Lensing⟩



Spectral Line Emission Models



Angular distribution of SNR

